

6. Signal flow graphs

Example 6.4.4 (p. 131)

Solve the system of linear equations

$$x_1 = bx_0 + dx_1 + fx_3$$

$$x_2 = ax_0 + cx_1$$

$$x_3 = ex_1 + gx_3$$

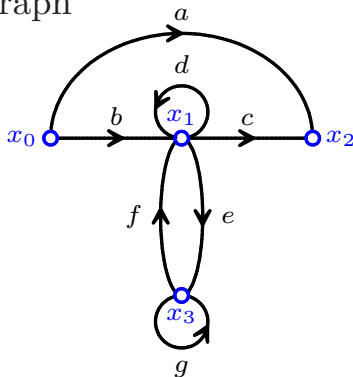
The system of linear equations

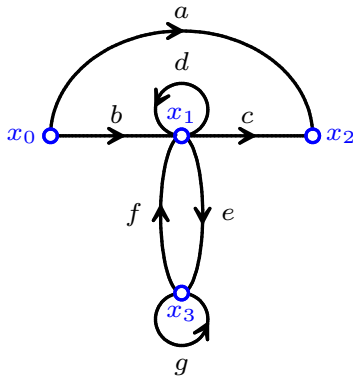
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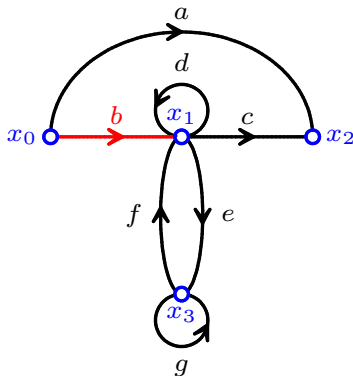
$$x_3 = ex_1 + gx_3$$

signal flow digraph

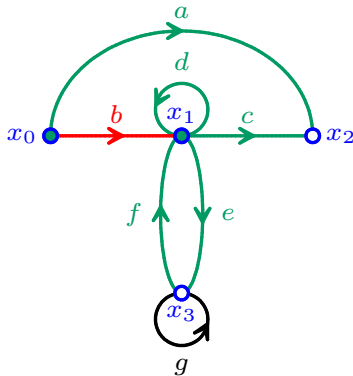




$$\frac{x_1}{x_0} = \frac{b \cdot (1 - g)}{1 - (d + ef + g) + gd}$$



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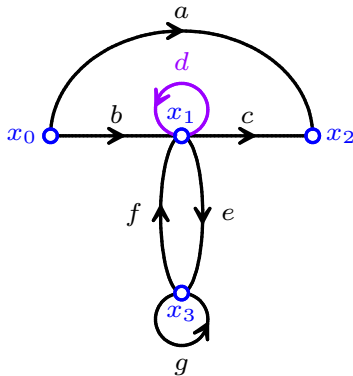
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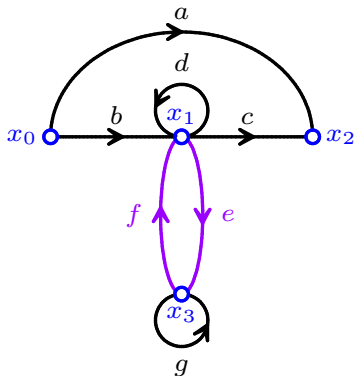
A blue node labeled x_2 .



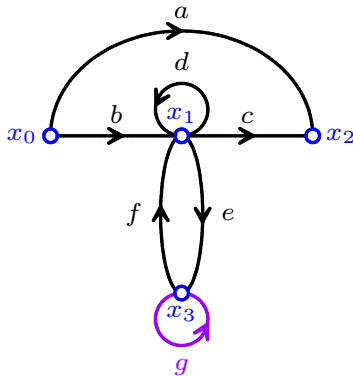
$$\frac{x_1}{x_0} = \frac{b \cdot (1 - g)}{1 - (d + ef + g) + gd}$$



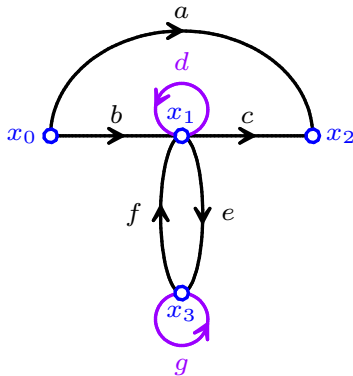
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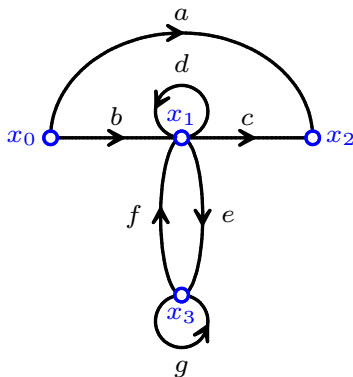
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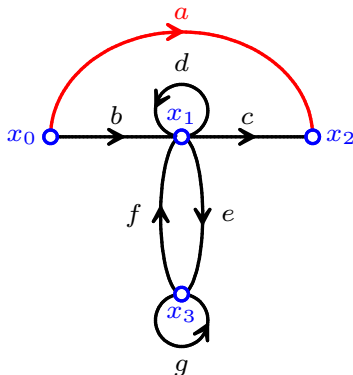
$$\frac{x_1}{x_0} = \frac{b \cdot (1 - g)}{1 - (d + ef + g) + gd}$$



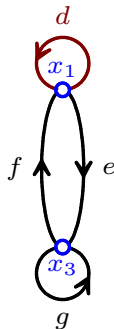
$$\frac{x_1}{x_0} = \frac{b \cdot (1 - g)}{1 - (d + ef + g) + gd}$$



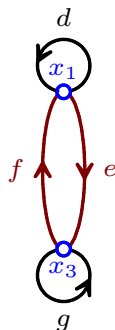
$$\frac{x_2}{x_0} = \frac{a \cdot (1 - (d + ef + g) + gd) + bc \cdot (1 - g)}{1 - (d + ef + g) + gd}$$



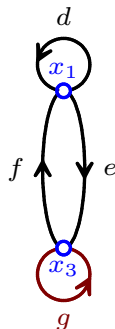
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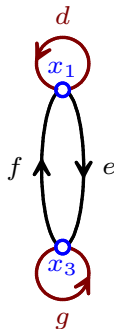
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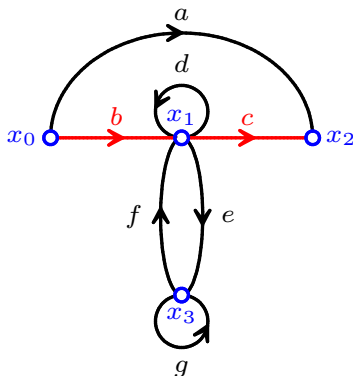
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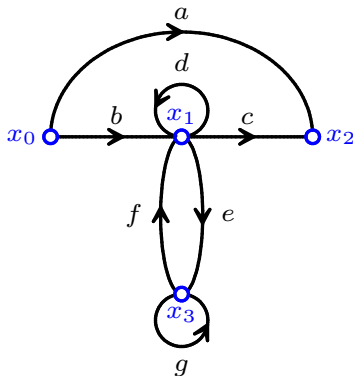
$$\frac{x_2}{x_0} = \frac{a \cdot (1 - (d + ef + g) + gd) + bc \cdot (1 - g)}{1 - (d + ef + g) + gd}$$



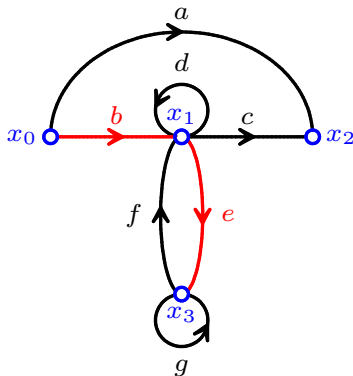
$$\frac{x_2}{x_0} = \frac{a \cdot (1 - (d + ef + g) + gd) + bc \cdot (1 - g)}{1 - (d + ef + g) + gd}$$



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$$\frac{x_3}{x_0} = \frac{be \cdot 1}{1 - (d + ef + g) + gd}$$



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• x_2

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